

# Spontaneous magnetization of composite fermions in second Landau level of graphene

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Composite fermions (CFs) are topological quasiparticles emergent in two-dimensional (2D) electron systems in high magnetic fields when electrons are confined in a degenerate Landau level (LL). Roughly speaking, a CF is an electron binding a portion of the external magnetic field in form of an infinitely thin solenoid carrying flux  $2p \cdot hc/e$ ; more precisely, it is a bound state of an electron and an even number ( $2p$ ) of quantized vortices of the polynomial many-body wave function. The emergence of CFs underlies fractional quantum Hall effect (FQHE); indeed, almost all observed FQH states occur at filling factors  $\nu = n/(2pn \pm 1)$ , which correspond to  $n$  completely filled CF LLs (called  $\Lambda$ Ls).

Like electrons, CFs also have spin. Different configurations of filled  $\Lambda$ Ls are possible, labeled by  $n_\uparrow$  and  $n_\downarrow$ . For a given  $n = n_\uparrow + n_\downarrow$  (i.e., given  $\nu$ ), the ground state polarization  $(n_\uparrow - n_\downarrow)/n$  is determined by the relative magnitudes of CF cyclotron energy, spin splitting, and interaction.

FQHE occurs in different materials, including graphene characterized by a different set of excited electron LLs from ‘conventional’ semiconductors like GaAs. In this work we study spin transitions in graphene, at  $\nu = 2/3, 2/5, 3/7, 3/5, 4/9$ , and  $4/7$ , corresponding to  $n = \pm 2, \pm 3$ , and  $\pm 4$  (and  $2p=2$ ). We show that CFs in the second LL of graphene (G-LL<sub>1</sub>) are as robust as those in the lowest LL (G-LL<sub>0</sub>). Nonetheless, they show dramatically different spin dynamics. In particular, in G-LL<sub>1</sub> the  $2/3$  and  $2/5$  FQH states corresponding to two filled  $\Lambda$ Ls, the ferro-

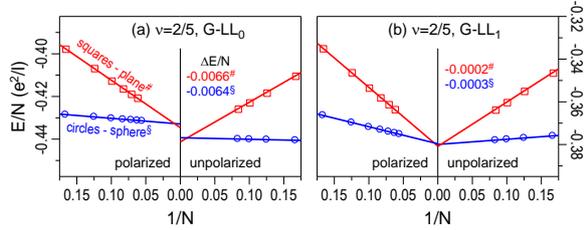


Fig.1 Correlation energies per electron ( $E/N$ , in units of  $e^2/\ell$ , where  $\ell$  is the magnetic length) for competing polarized and unpolarized states,  $(n_\uparrow, n_\downarrow) = (2,0)$  vs.  $(1,1)$ , at  $\nu = 2/5$  in first and second LLs in graphene, calculated on a Haldane sphere for different electron numbers  $N$  and extrapolated to  $1/N = 0$ . Blue and red data points were obtained using pseudopotentials from different geometries: sphere and disk, respectively. Extrapolated energy differences  $\Delta E = E(\text{unpolarized}) - E(\text{polarized})$  are also quoted in units of  $e^2/\ell$ . Clearly,  $\Delta E \approx 0$  in G-LL<sub>1</sub>, in contrast to  $\Delta E < 0$  in G-LL<sub>0</sub>.

magnetic state has slightly lower interaction energy than the singlet, producing maximal spin polarization even without the Zeeman gap. The other states of the form  $n/(2n \pm 1)$  also remain fully polarized down to the lowest Zeeman energies. This physics also reflects through a lack of softening of the spin wave dispersion for the fully polarized states. The CF in G-LL<sub>1</sub> thus provide an example where exchange interaction between the fermions dominates their kinetic energy (effective cyclotron energy), leading to an instability into a spontaneously spin-polarized ground state. The specific predictions regarding polarization and spin modes can be verified by tilted field transport, NMR and resonant inelastic light scattering experiments.